

8. (2.75 points)

Given the following average severity, an actuary wants to validate if anti-selection impacts its Increased Limits Factors for a given insurance coverage:

Severity limited to:	Policy Limit = \$25,000	Policy Limit = \$50,000
\$10,000	\$4,000	\$6,000
\$25,000	\$6,500	\$8,000
\$50,000	\$9,000	\$10,500

50% of the policies have a \$25,000 policy limit and 50% of the policies have a \$50,000 policy limit.

a. (1.25 points)

Demonstrate if anti-selection impacts the ILFs.

b. (1.5 points)

Identify and briefly describe two possible forms of anti-selection for ILFs and give one example for each.

EXAM 8 FALL 2016 SAMPLE ANSWERS AND EXAMINER'S REPORT

QUESTION: 8									
TOTAL POINT VALUE: 2.75	LEARNING OBJECTIVE(S): B1								
SAMPLE ANSWERS									
Part a: 1.25 points									
<p><u>Sample 1</u></p> <table> <tr> <td>With anti-selection ILF:</td><td>No anti-selection ILF:</td></tr> <tr> <td>$\\$25K = (6,500 / 4,000) = 1.625$</td><td>$\\$25K = (6,500+8,000) / (4,000+6,000) = 1.45$</td></tr> <tr> <td>$\\$50K = (9,000 / 4,000) = 2.25$</td><td>$\\$50K = (9,000+10,500) / (4,000+6,000) = 1.95$</td></tr> </table> <p>We can see the ILFs with anti-selection are different than without anti-selection.</p>		With anti-selection ILF:	No anti-selection ILF:	$\$25K = (6,500 / 4,000) = 1.625$	$\$25K = (6,500+8,000) / (4,000+6,000) = 1.45$	$\$50K = (9,000 / 4,000) = 2.25$	$\$50K = (9,000+10,500) / (4,000+6,000) = 1.95$		
With anti-selection ILF:	No anti-selection ILF:								
$\$25K = (6,500 / 4,000) = 1.625$	$\$25K = (6,500+8,000) / (4,000+6,000) = 1.45$								
$\$50K = (9,000 / 4,000) = 2.25$	$\$50K = (9,000+10,500) / (4,000+6,000) = 1.95$								
<p><u>Sample 2</u></p> <table> <tr> <td>Limit = \$25K</td><td>Limit = \$50K</td></tr> <tr> <td>$I(\\$10K) = 1$</td><td>$I(\\$10K) = 1$</td></tr> <tr> <td>$I(\\$25K) = (6,500 / 4,000) = 1.625$</td><td>$I(\\$25K) = (8,000 / 6,000) = 1.333$</td></tr> <tr> <td>$I(\\$50K) = 2.25$</td><td>$I(\\$50K) = 1.75$</td></tr> </table> <p>The ILF under two policy limits is significantly different. This shows anti-selection impacts the ILF. If no anti-selection, should be equal.</p>		Limit = \$25K	Limit = \$50K	$I(\$10K) = 1$	$I(\$10K) = 1$	$I(\$25K) = (6,500 / 4,000) = 1.625$	$I(\$25K) = (8,000 / 6,000) = 1.333$	$I(\$50K) = 2.25$	$I(\$50K) = 1.75$
Limit = \$25K	Limit = \$50K								
$I(\$10K) = 1$	$I(\$10K) = 1$								
$I(\$25K) = (6,500 / 4,000) = 1.625$	$I(\$25K) = (8,000 / 6,000) = 1.333$								
$I(\$50K) = 2.25$	$I(\$50K) = 1.75$								
<p><u>Sample 3</u></p> <p>$I(\\$10K) = (6,000 / 4,000) = 1.5$</p> <p>$I(\\$25K) = (8,000 / 6,500) = 1.23$</p> <p>$I(\\$50K) = (10,500 / 9,000) = 1.17$</p> <p>When the severity limitation increases, ILF decreases, so there is anti-selection.</p>									
Part b: 1.5 points									
<p><u>Sample 1</u></p> <p>Adverse Selection: Higher risk insureds choose higher policy limits Possible reason: aware of their own riskiness, choose high limits to protect themselves</p> <p>Favorable Selection: Safer insureds choose higher limits Reason: safer risks are likely more financially stable, more able to afford higher limits</p>									
<p><u>Sample 2</u></p> <p>Adverse Selection</p> <ul style="list-style-type: none"> Higher limits generate higher ILFs The liability lawsuit and settlement may be impacted by the size of the limit <p>Favorable Selection</p> <ul style="list-style-type: none"> Higher limits generate lower ILFs Some large sized insured are good risks, they choose high limit because they have more assets to protect 									
<p><u>Sample 3</u></p> <p>Adverse Selection</p> <ul style="list-style-type: none"> This is when worse than average insureds purchase higher policy limits, so worse than average loss experience is seen on the higher ILFs 									

EXAM 8 FALL 2016 SAMPLE ANSWERS AND EXAMINER'S REPORT

- Example – insureds who expect to need high limits because they have a lot of large losses purchase high policy limits

Favorable Selection

- This is when better than average insureds select higher policy limits, so better than average loss experience is observed for higher ILFs
- Example – underwriting is willing to give good insureds higher policy limits

EXAMINER'S REPORT

Part a

Candidates were expected to understand anti-selection, and that the presence of it results in different ILFs between the total population and the group. They were expected to calculate the ILFs with and without anti-selection, and conclude whether anti-selection exists.

Common mistakes include:

- Concluding that there is anti-selection because the limited severities differed between policy limits \$25K and \$50K.
- Testing for ILF consistency to determine whether there is anti-selection. This is the wrong test as the consistency test will not always fail if there is anti-selection.

Part b

Candidates were expected to identify two different types of anti-selection: Adverse/Negative/Unfavorable/etc., and Favorable/Positive/Beneficial/etc. They were also expected to describe a relationship between high limit policies and good/bad loss experience.

Common mistakes include:

- Not describing what adverse or favorable anti-selection was, but only giving an example (e.g. court settlements are influenced by policy limit – this does not give any information on performance of high limits).
- Giving a general description of Adverse Selection which was not specific to impact on ILF (e.g. mispricing model that attracts more high risk insureds – this description is not specific to ILF).